	Name: Instructions: No calculators! Answer <u>all</u> problems in the space provided.
1.	Separable or not? ("Y" or "N"):
	$\frac{dy}{dx} = \frac{y+1}{x-5}: _ \qquad \frac{dy}{dx} = xy + x: _ \qquad \frac{dy}{dx} = e^x + y: _ \qquad \frac{dy}{dx} = y(y+3): _ \qquad \frac{dy}{dx} = \frac{x-1}{y}: _ \qquad _$
	$\frac{dy}{dx} = x + 2y: _ tdt + ye^{-t}dy = 0: _ y^2(1-x)^{\frac{1}{2}}dy = \arccos x dx: _ $
2.	Linear or not? ("Y" or "N"): $(1 + y^2)\frac{d^2y}{dt^2} + t\frac{dy}{dt} + y = e^t$: $y'' + \sin(t + y) = \sin t$: $x^2y'' + xy' + 2y = \cos x$:
3.	What is the standard form of a first order linear ODE? :
4.	For the ODE above, what is the formula for its integrating factor?(equation)
5.	Separate the variables. (Do not solve the ODEs!):
	$\frac{dr}{d\theta} = \frac{r^2}{2\theta}: \qquad \qquad$
	$\frac{dy}{dt} = tye^{3t+y^2}:$ $dy = (x^2y^2 + x^2 - y^2 - 1)dx:$
6.	Solve the following ODEs:
(a)	$\frac{dy}{dx} = 2y + 1$: $y = $ (b) $\frac{dy}{dx} = \frac{3y}{x-1}$, $y(0) = 3$: $y = $
7.	If it is assumed that interest is compounded continuously, the Harvesting Model also describes the growth of money in an account. A man puts some money in a bank account earning 3% interest, compounded continuously, and makes withdrawals of \$600, every month. Suppose he puts P_0 dollars into the account initially. Assume the function $P(t)$ describes the current balance in the account. Describe $P(t)$ using:
	An ODE, the initial condition for the ODE
8.	Solve the ODE above. Your answer should include the P_0 :
Bonus problems:	
1.	Solve the ODEs:
(a)	$\frac{dy}{dx} = \frac{x^2 + xy + y^2}{x^2} : y = _$
(b)	$2xy - x^{2} + (2y + x^{2} + 1)\frac{dy}{dx} = 0 \qquad Soln:$